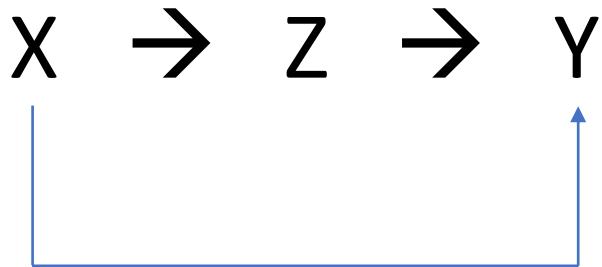


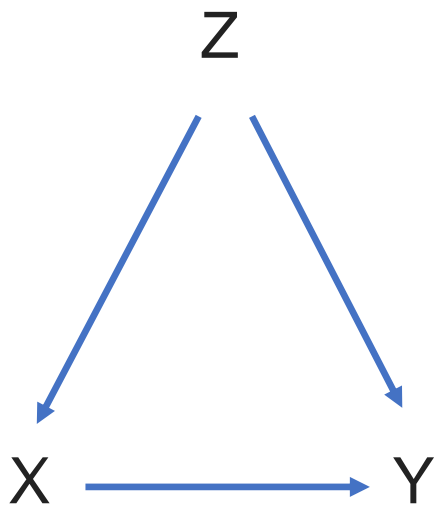
Complete Interpretation

$X \rightarrow Z \rightarrow Y$

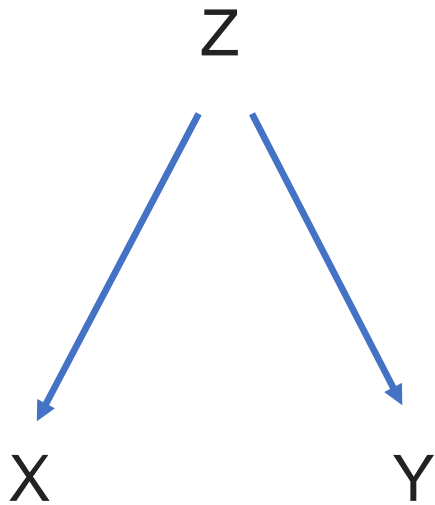
Partial Interpretation




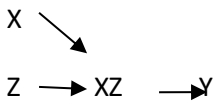
Partial Explanation



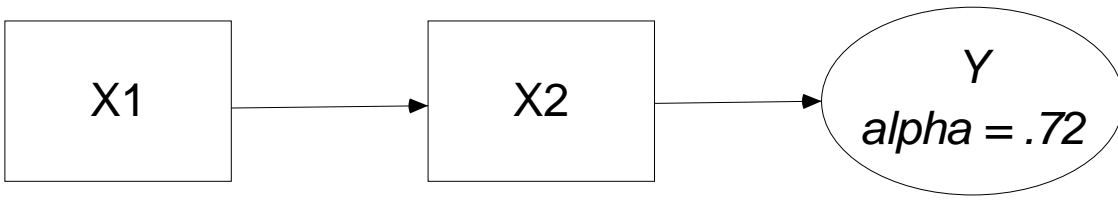
Complete Explanation



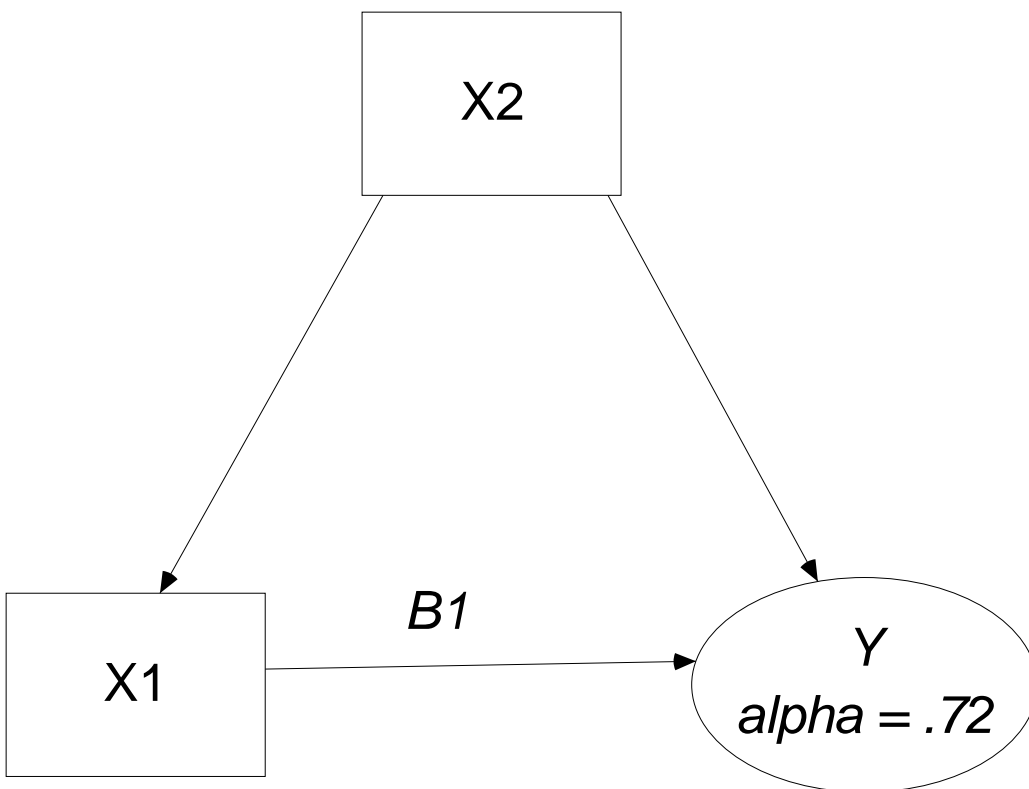
Summary Notes on Statistical Elaboration

Name of Effect	Symbolic Representation	Crosstab Results	Regression Results
Replication	Irrespective of Z $X \leftrightarrow Y$	Same results in control tables as in original table without controls	X predicts Y with and without Z being in equation
Interpretation (mediation)	$X \rightarrow Z \rightarrow Y$	All control tables show weaker relationship than original table	Entering Z into equation reduces or eliminates X's influence on Y
Explanation	 $X \leftarrow / \rightarrow Y$	All control tables show weaker relationship than original table	Entering Z into equation reduces or eliminates X's influence on Y
Specification (moderation)	If $Z = 1$ $X \leftrightarrow Y$ If $Z \neq 1$ $X \leftarrow / \rightarrow Y$ Or, preferably 	Only one (or some) of control tables show relationship from original table	An interaction term of the form $X*Z$ predicts Y
Suppression	Without control for Z: $X \leftarrow / \rightarrow Y$ With control for Z $X \leftrightarrow Y$	Control tables reveal a relationship that was not evident in original table without controls	Entering Z into equation allows X to predict Y
Distortion	Another pattern of results	Control tables show complex pattern of results	Entering Z into equation produces complex pattern

Interpretation



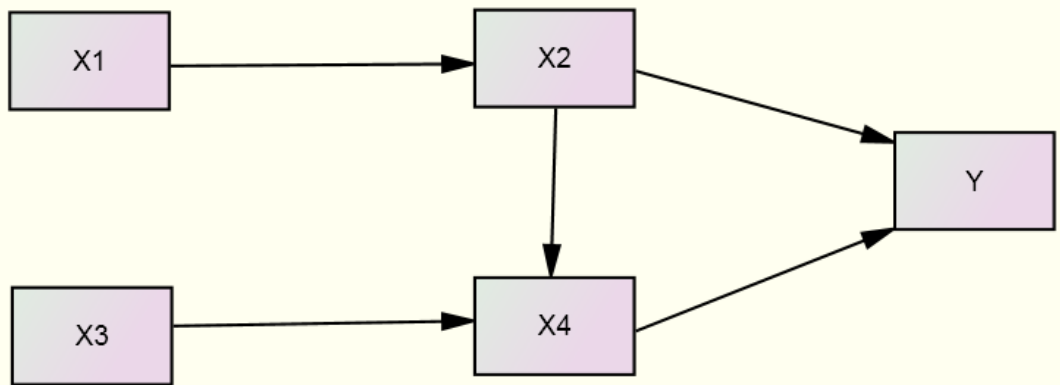
Explanation



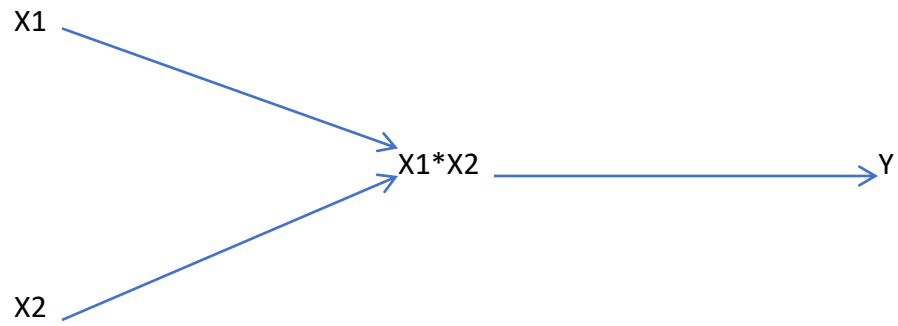
$X1 \rightarrow X2 \rightarrow Y$

$X1 \rightarrow X2 \rightarrow Y$





Complete Specification



compute interact= ($x_1 * x_2$).

	Male (0)	Female (1)
Non-Hispanic (0)	0	0
Hispanic (1)	0	1

compute $\text{FemHisp} = \text{Female} * \text{Hisp}$.

Consider:

	(0)	(.5)	(1)
(0)	0	0	0
(.5)	0	.25	.5
(1)	0	.5	1

And:

	(1)	(2)	(3)
(1)	1	2	3
(2)	2	4	6
(3)	3	6	9

Both produce valid interaction terms.

However, be particularly careful not to use one dummy and an ordinal variable

	(0)	(1)
(0)	0	0
(.5)	0	.5
(1)	0	1

create interaction terms.

compute femhisp = (female * hisp).

regression variables=RawMJ3 female hisp femhisp

/statistics anova coeff r tol

/descriptives = n

/dependent = RawMJ3

/method = enter female hisp

/method = enter femhisp.

Raw MJ3 Model Summary

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.216 ^a	.047	.045	1.12824
2	.218 ^b	.048	.046	1.12828

a. Predictors: (Constant), Hisp, female

b. Predictors: (Constant), Hisp, female, femhisp

Model		b	Std. Error	Beta	t	Sig.	Tol
1	(Constant)	1.770	.053		33.548	.000	
	female	-.312	.072	-.135	-4.345	.000	.991
	Hisp	-.438	.088	-.156	-4.996	.000	.991
2	(Constant)	1.753	.056		31.539	.000	
	female	-.276	.081	-.120	-3.419	.001	.784
	Hisp	-.341	.133	-.121	-2.575	.010	.433
	femhisp	-.171	.177	-.049	-.970	.332	.373

RawMJ3 = Constant + female + hisp + femhisp

constant + female + hisp + femhisp

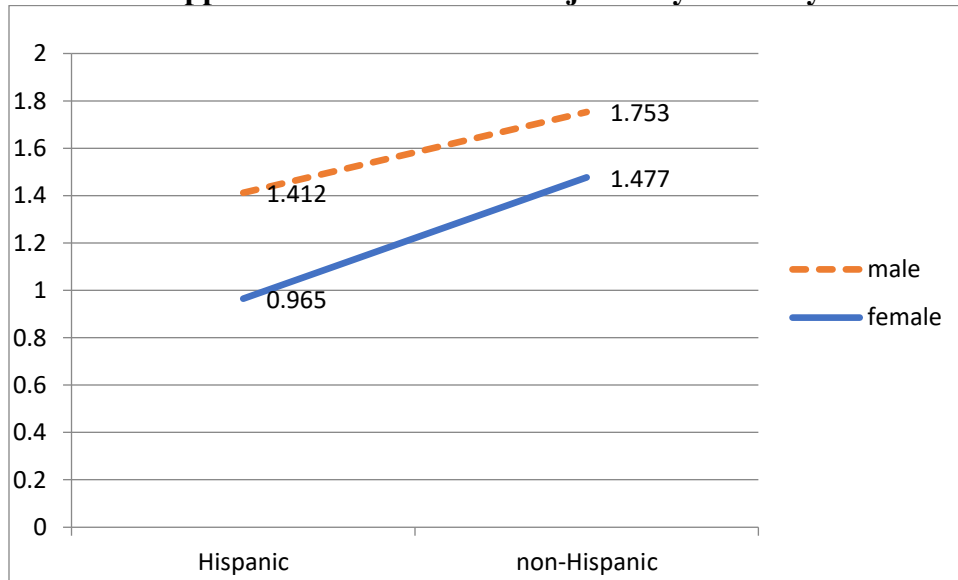
$$\text{RawMJ3 (Female \& Hisp)} = 1.753 - .276(1) - .341(1) - .171(1) = .965$$

$$\text{RawMJ3 (Female \& nonHisp)} = 1.753 - .276(1) - .341(0) - .171(0) = 1.477$$

$$\text{RawMJ3 (Male \& Hisp)} = 1.753 - .276(0) - .341(1) - .171(0) = 1.412$$

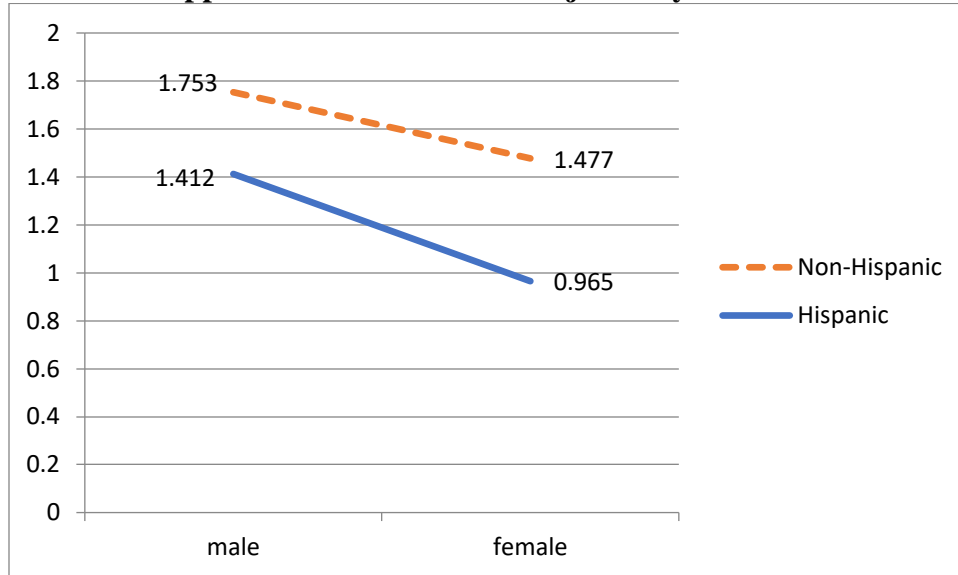
$$\text{RawMJ3 (Male \& nonHisp)} = 1.753 - .276(0) - .341(0) - .171(0) = 1.753$$

Predicted Support for Recreational Marijuana by Ethnicity and Gender



Source: PPIC October 2016

Predicted Support for Recreational Marijuana by Gender and Ethnicity



Source: PPIC October 2016

Raw MJ3 Model Summary

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.386 ^a	.149	.147	1.06531
2	.397 ^b	.158	.155	1.06050

a. Predictors: (Constant), interest, liberal5

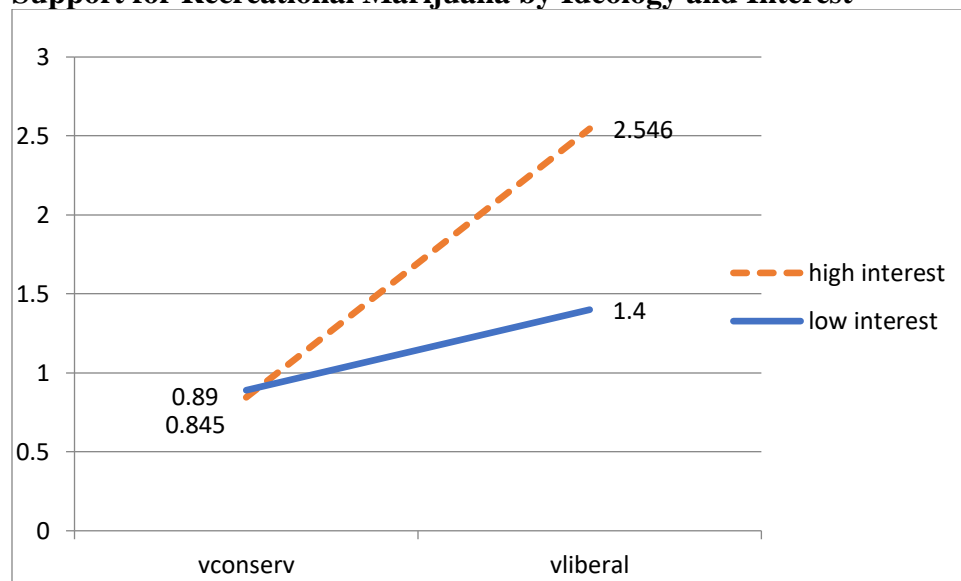
b. Predictors: (Constant), interest, liberal5, libint

Model		b	Std. Error	Beta	t	Sig.	Tol
1	(Constant)	.440	.107		4.130	.000	
	liberal5	1.371	.111	.366	12.392	.000	.998
	interest	.572	.121	.139	4.711	.000	.998
2	(Constant)	.890	.178		4.998	.000	
	liberal5	.510	.295	.136	1.731	.084	.139
	interest	-.045	.230	-.011	-.194	.846	.275
	libint	1.191	.379	.285	3.145	.002	.105

constant + liberal + interest + libint

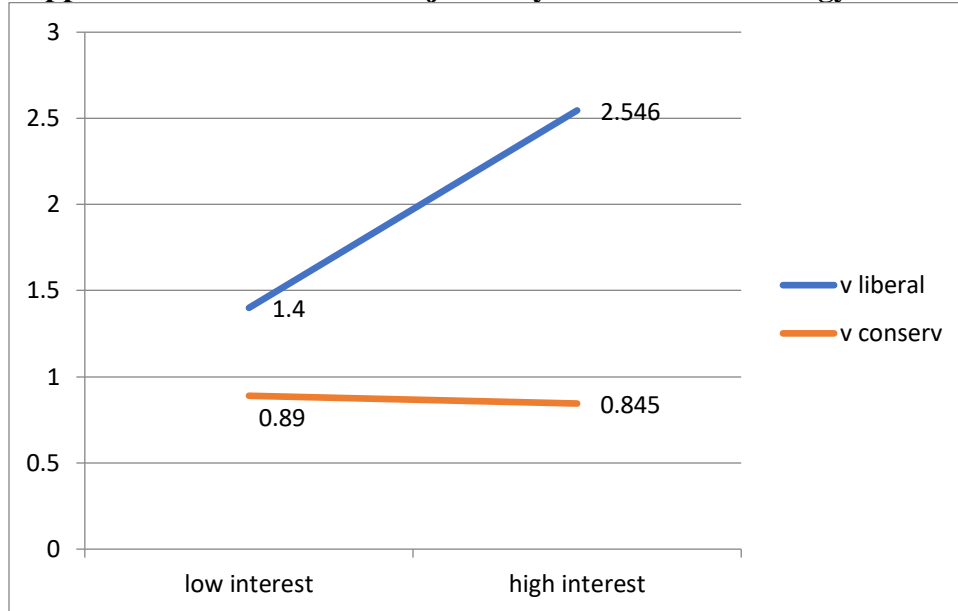
RawMJ3 (vcons & none)	=	.890 + .510(0) - .045(0) + 1.191(0)	=	.890
RawMJ3 (vcons & great)	=	.890 + .510(0) - .045(1) + 1.191(0)	=	.845
RawMJ3 (vlib & none)	=	.890 + .510(1) - .045(0) + 1.191(0)	=	1.4
RawMJ3 (vlib & great)	=	.890 + .510(1) - .045(1) + 1.191(1)	=	2.546

Support for Recreational Marijuana by Ideology and Interest



Source: PPIC October 2016

Support for Recreational Marijuana by Interest and Ideology

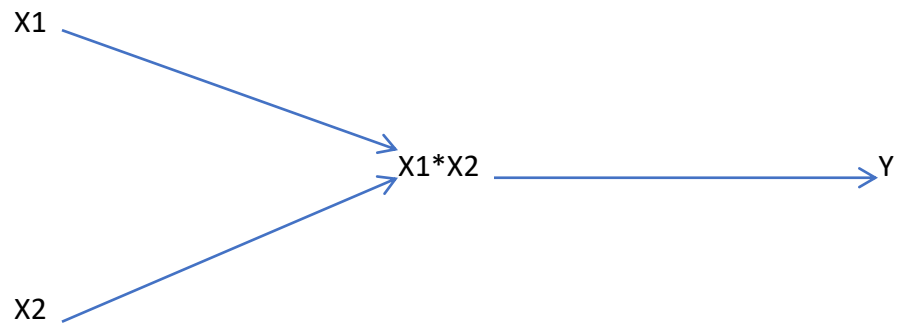


Source: PPIC October 2016

**Predicting Attitudes toward RawMJ3 using interaction
(Unstandardized coefficients)**

	Model 1	Model 2	Model 3	Model 4
(Constant)	1.106	.797	.404	.793
Democrat5	.747***	.194	.213	.146
liberal5		1.210***	1.216***	.546
interest			.569***	.059
lib*int				.981**
Adj R ²	.045	.124	.143	.149
N =	(949)	(949)	(949)	(949)

Complete Specification



Partial Specification

